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# ORIGINAL ARTICLE

# Characterization of cerebral glucose dynamics in vivo with a four-state conformational model of transport at the blood-brain barrier

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#### **Abstract**

Determination of brain glucose transport kinetics *in vivo* at steady-state typically does not allow distinguishing apparent maximum transport rate ( $T_{\rm max}$ ) from cerebral consumption rate. Using a four-state conformational model of glucose transport, we show that simultaneous dynamic measurement of brain and plasma glucose concentrations provide enough information for independent and reliable determination of the two rates. In addition, although dynamic glucose homeostasis can be described with a reversible Michaelis–Menten model, which is implicit to the large iso-inhibition constant ( $K_{\rm fi}$ ) relative to physiological brain glucose content, we found that the apparent affinity constant ( $K_{\rm f}$ ) was better determined with the four-state conformational model of glucose transport

than with any of the other models tested. Furthermore, we confirmed the utility of the present method to determine glucose transport and consumption by analysing the modulation of both glucose transport and consumption by anaesthesia conditions that modify cerebral activity. In particular, deep thiopental anaesthesia caused a significant reduction of both  $T_{\rm max}$  and cerebral metabolic rate for glucose consumption. In conclusion, dynamic measurement of brain glucose *in vivo* in function of plasma glucose allows robust determination of both glucose uptake and consumption kinetics.

**Keywords:** blood-brain barrier, CMR<sub>glc</sub>, glucose transport, GLUT, mathematical modelling, nuclear magnetic resonance. *J. Neurochem.* (2012) **121**, 396–406.

Maintaining normal brain function requires glucose that is supplied from blood through facilitative glucose carrier proteins located at the blood-brain barrier (BBB), namely glucose transporter type 1 (GLUT1; Pardridge et al. 1990; Simpson et al. 2007). Over the two last decades, noninvasive in vivo NMR techniques have been used to measure glucose concentration and its transport and metabolism in the brain of both humans (e.g. Gruetter et al. 1996, 1998, 2001; Shestov et al. 2011) and rodents (e.g. Choi et al. 2002; Duarte et al. 2009a, 2011a; Lei et al. 2010). For that, mathematical models of glucose transport across the BBB were initially based on irreversible Michaelis-Menten (MM) kinetics (e.g. Lund-Andersen 1979; Mason et al. 1992; Gruetter et al. 1996). These were abandoned because in certain experimental conditions brain glucose concentrations on the order of the  $K_{\rm M}$  of glucose carriers were observed, and a reversible MM kinetics was thus introduced to describe brain glucose transport as observed in vivo namely by NMR spectroscopy (Cunningham *et al.* 1986; Gruetter *et al.* 1998). However, some studies found that such kinetics failed to determine the apparent affinity constant of glucose transport  $K_t$  (Seaquist *et al.* 2001; Choi *et al.* 2002; Lei and Gruetter 2006; Shestov *et al.* 2011), which often largely diverged from the  $K_M$  for glucose transport determined *in vitro* (e.g.

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Abbreviations used: BBB, blood–brain barrier; CMR<sub>glc</sub>, cerebral metabolic rate for glucose consumption; CRLB, Cramér-Rao lower bound; GLUT1, glucose transporter type 1;  $K_{\rm ii}$ , apparent iso-inhibition constant;  $K_{\rm M}^{\rm HK}$ , apparent Michaelis constant of hexokinase;  $K_{\rm t}$ , apparent affinity constant of glucose transport; MM, Michaelis–Menten;  $T_{\rm max}$ , apparent maximum transport rate;  $V_{\rm max}^{\rm HK}$ , apparent maximum rate of hexokinase; VOI volume of interest.

Gould et al. 1991; Lee et al. 1997). Reversible MM kinetics does not consider iso-inhibition or trans-acceleration, in contrast to the conformational four-state exchange kinetic model of simple solute carriers that has been proposed to describe glucose transport across the BBB (Barros et al. 2007; Duarte et al. 2009b).

Glucose transport kinetics as measured in vivo by <sup>1</sup>H NMR spectroscopy has been mostly determined under steady-state conditions (Gruetter et al. 1998; Seaguist et al. 2001; Choi et al. 2002; Lei and Gruetter 2006; Lei et al. 2010). However, steady-state transport measurement from brain glucose (G<sub>brain</sub>) content did not allow determining the maximum transport rate separately from the glucose consumption rate. Consequently, a ratio between the two was estimated and often a constant cerebral metabolic rate of glucose (CMR<sub>glc</sub>) has been assumed to allow determination of an apparent maximum transport rate  $(T_{\text{max}})$  (e.g. Gruetter et al. 1998; Duarte et al. 2009a; Lei et al. 2010). Gruetter et al. (1996) determined glucose transport kinetics from changes in brain glucose content measured using <sup>1</sup>H NMR difference spectroscopy after a rapid increase in plasma glucose concentration. This method had the advantage of providing a dynamic measure of  $G_{\text{brain}}$ , which allowed the determination of both  $T_{\rm max}$  and CMR<sub>glc</sub> using, at that time, an irreversible MM kinetics for the glucose carriers at the BBB (Gruetter et al. 1996). These experiments were recently repeated by Shestov et al. (2011), who determined both  $T_{\text{max}}$ and CMR<sub>glc</sub> rates using the reversible MM model applied to brain glucose concentrations measured by dynamic <sup>1</sup>H NMR spectroscopy. These authors, however, failed to determine  $K_t$ , which was then estimated from previously reported steadystate experiments (Gruetter et al. 1998; de Graaf et al. 2001).

Therefore, we tested the hypothesis that simultaneous dynamic measurement of brain and plasma glucose concentrations in vivo allows to determine independent rates for both glucose transport and consumption, that is,  $T_{\text{max}}$  and  $CMR_{olc}$ , as well as  $K_t$  and  $K_{ii}$ , using the four-state conformational model of the glucose carrier.

## Materials and methods

#### Animals

All experimental procedures involving animals were approved by the local ethics committee. The experiments were performed with special care to minimise animal pain or discomfort. Male Sprague-Dawley rats  $(259.0 \pm 5.8 \text{ g}, n = 14, \text{ obtained from Charles River})$ Laboratoires, France) were prepared as previously described (Duarte et al. 2009a, 2011a). Briefly, rats were anaesthetized using 2% (v/v) isoflurane (Attane, Minrad, NY, USA) in 30% (v/v) oxygen in air, and then intubated with an endotracheal catheter and ventilated with a pressure-driven ventilator (MRI-1; CWE Inc., Ardmore, PA, USA). Polyethylene catheters were inserted into a femoral artery for monitoring blood gases, arterial blood pressure, and glucose and lactate concentrations, and into a femoral vein for infusion of saline

solutions containing α-chloralose (Acros Organics, Geel, Belgium) or p-glucose (Sigma-Aldrich, Basel, Switzerland).

Animals were immobilised in a home-built holder with a bite bar and two ear inserts to minimize potential motion. Body temperature was maintained around 37.5°C with a warm water circulation system based on the feedback obtained from a homebuilt rectal temperature probe. Arterial blood pressure, heart rate and respiratory rate were continuously measured with an animal monitoring system (SA Instruments, Stony Brook, NY, USA).

Anaesthesia was switched to α-chloralose consisting of an intravenous bolus of 80 mg/kg and continuous infusion rate of 28 mg/kg/h (Duarte et al. 2009a, 2011a). Before NMR measurements, animals were allowed to stabilize for at least 40 min to avoid remaining effects of isoflurane. D-Glucose [20% (w/v) in saline solution] was given as a bolus and then continuously infused at a rate adjusted based on concomitantly measured arterial plasma glucose concentrations to maintain a stable plasma glucose concentration. Arterial pH and pressures of O2 and CO2 were measured using a blood gas analyser (AVL Compact 3; Diamond Diagnostics, Holliston, MA, USA). Plasma glucose and lactate concentrations were quantified by the glucose oxidase and lactate oxidase methods, respectively, using two multi-assay analysers (GW7 Micro-Stat; Analox Instruments, London, UK).

To modulate glucose transport and consumption, these experiments were then repeated either under isoflurane or deep thiopental anaesthesia instead of α-chloralose. Sodium thiopental (Ospedalia AG, Hunenberg, Switzerland) was given as an intra-venous bolus of 50 mg/kg which was followed by 80 mg/kg/h continuous rate infusion. This thiopental dose was found to induce iso-electricity after 90 min of infusion, as determined by electroencephalography in a previous study (Lei et al. 2010). Therefore, NMR measurements were only initiated after 90 min under thiopental anaesthesia. For experiments under isoflurane anaesthesia, rats were allowed to spontaneously breathe 1.5% (v/v) isoflurane [in mixture of 30% (v/ v) oxygen in air]. Physiological parameters were similar between the three experimental groups, with exception of plasma lactate concentration (Table 1).

#### NMR spectroscopy

All experiments were performed in a Direct Drive spectrometer (Agilent, Palo Alto, CA, USA) interfaced to an actively shielded 9.4 T magnet with a 31 cm horizontal bore (Magnex Scientific, Abingdon, UK) using a homebuilt 12 mm <sup>1</sup>H quadrature surface coil. The rat brain was positioned in the isocentre of the magnet and fast-spin-echo images with repetition time of 5 s, echo time of 52 ms and echo train length of 8 allowed to identify anatomical landmarks, which were used to place the volume of interest (VOI) in the cortex and hippocampus. Shimming was performed with FAST(EST)MAP (Gruetter and Tkác 2000), and <sup>1</sup>H NMR spectra were acquired from a VOI size of 120 µL using SPECIAL (Mlynárik et al. 2006) with echo time of 2.8 ms and repetition time of 4 s. Spectra were saved in blocks of eight scans, corrected for the  $B_0$  drift and summed at a convenient time resolution.

Spectral analysis was carried out using LCModel (Stephen Provencher Inc., Oakville, Ontario, Canada) including a macromolecule spectrum in the database (Mlynárik et al. 2006). The unsuppressed water signal measured from the same VOI was used as internal reference for absolute quantification of 20 metabolites:

Table 1 Physiological variables shown as mean  $\pm$  SEM of 7, 5 and 5 rats for α-chloralose, thiopental and isoflurane anaesthesia, respectively. Only lactate concentration was significantly increased under isoflurane anaesthesia compared with both α-chloralose and thiopental (p < 0.01) using the one-way ANOVA followed by the Newman–Keuls multiple comparison test

	$\alpha$ -Chloralose	Thiopental	Isoflurane	
Temperature (°C)	37.2 ± 0.2	37.4 ± 0.2	37.7 ± 0.2	
Heart rate (min <sup>-1</sup> )	$388 \pm 58$	335 ± 23	382 ± 29	
Mean arterial pressure (mm Hg)	142 ± 13	120 ± 18	132 ± 19	
Plasma lactate (mM)	$2.8 \pm 0.2$	$3.9 \pm 0.5$	7.0 ± 1.1	
Arterial Ph	$7.37 \pm 0.02$	$7.38 \pm 0.03$	$7.37 \pm 0.02$	
P <sub>a</sub> CO <sub>2</sub> (mmHg)	$39.3 \pm 0.8$	$40.6 \pm 2.8$	41.4 ± 1.1	
P <sub>a</sub> O <sub>2</sub> (mmHg)	188.2 ± 6.5	179.5 ± 12.9	180.4 ± 14.9	
Arterial O <sub>2</sub> saturation (%)	$99.6 \pm 0.1$	$99.5 \pm 0.1$	$99.5 \pm 0.1$	

glucose,  $\gamma$ -aminobutyrate, alanine, N-acetylaspartate, N-acetylaspartylglutamate, ascorbate, aspartate, creatine, glutamate, glutamine, glutathione, glycerophosphorylcholine,  $\beta$ -hydroxybutyrate, myo-inositol, scyllo-inositol, lactate, phosphocreatine, phosphorylcholine, phosphorylethanolamine, taurine (see details in Duarte et~al. 2011c). As the inclusion of glucose H1 $\alpha$  resonance at 5.23 ppm does not significantly contribute for the reliability in the estimation of glucose concentration (analysed by Shestov et~al. 2011), LCModel analysis was performed using the spectral range between 0.5 and 4.5 ppm, thus avoiding spectral manipulation for residual water peak removal. The Cramér-Rao lower bound (CRLB) provided by LCModel for each metabolite was used as measure of the reliability of the quantified metabolite concentration.

# Kinetic model of glucose transport

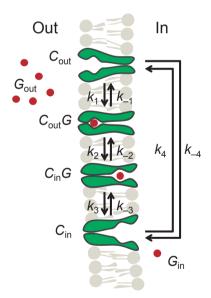
The BBB was assumed to behave as a single membrane separating the blood circulation compartment from the brain aqueous phase. This is in agreement with a relatively small distribution space for glucose inside endothelial cells, a fast rate of transport compared with endothelial glucose consumption and glucose carriers largely more concentrated in the membrane of brain cells than in luminal or abluminal membranes of the endothelium (discussed in Gjedde and Christensen 1984; Barros *et al.* 2007; Simpson *et al.* 2007). Therefore, diffusion across cell membranes of astrocytes and neurons is not limiting for the global rate of glucose transport, consistent with similar intra- and extracellular glucose concentrations (e.g. Pfeuffer *et al.* 2000).

Transport across the BBB was described using unidirectional fluxes and symmetric kinetic constants for influx and efflux, as in previous studies (e.g. Cunningham  $et\ al.$  1986; Mason  $et\ al.$  1992; Gruetter  $et\ al.$  1998; Duarte  $et\ al.$  2009b). Briefly, glucose selectively binds to facilitative glucose carriers that mediate solute movement in both directions of the BBB along a concentration gradient, which is maintained by continuous phosphorylation of intracellular glucose (e.g. Gruetter  $et\ al.$  1998; Barros  $et\ al.$  2007; Duarte  $et\ al.$  2009b). Considering that the BBB is defined as a single membrane (discussed in Duarte  $et\ al.$  2009b), brain glucose concentration ( $G_{\text{brain}}$ ) over time is defined by

$$\frac{dG_{brain}(t)}{dt} = T^f - T^r - CMR_{glc} \tag{1} \label{eq:dGbrain}$$

where  $G_{\text{brain}}$  is given in  $\mu$ mol/g and the rates of glucose influx ( $T^{\text{f}}$ ) or efflux ( $T^{\text{f}}$ ) across the BBB, as well as CMR<sub>glc</sub>, are in  $\mu$ mol/g/min.

Figure 1 represents the alternating-conformation model for a membrane carrier in which the carrier protein may occur in four distinct conformations: when unloaded, it can exist in two interconverting isomers that are ready to bind glucose either outside or inside the membrane; when bound to glucose, it can assume two conformations favouring glucose release to the outer or inner sides of the membrane (e.g. Cuppoletti and Segel 1975). The use of the



**Fig. 1** The alternating-conformation model. The glucose carrier exists in four conformations: when loaded, it can isomerise between conformations that favour glucose release to either the outer ( $C_{out}G$ ) or the inner ( $C_{in}G$ ) side of the membrane; in the free form, it exists in two inter-converting isomers  $C_{out}$  or  $C_{in}$  that are ready to bind glucose in either of the membrane sides. The rate constants  $k_1$  and  $k_3$  define glucose binding while  $k_1$  and  $k_3$  define its dissociation from the carrier. The rate constants  $k_2$  and  $k_2$  or  $k_4$  and  $k_4$  reflect the isomerisation of the loaded or unloaded carrier, respectively. A fast isomerisation of the unloaded carrier, that is, for  $k_4$  and  $k_4$  much larger than the other rate constants, is equivalent to a simple reversible MM kinetics (Duarte *et al.* 2009b). Figure was adapted from Duarte *et al.* (2009b), where the relation between rate constants and the kinetic parameters was explained in detail.

four-state conformational model of solute carriers to describe glucose transport across the BBB was previously detailed elsewhere (Duarte et al. 2009b). Despite the asymmetry of individual glucose carriers (reviewed in Simpson et al. 2007), the global glucose transport mechanism across the BBB has been found to approach symmetry (e.g. Barros et al. 2007; Duarte et al. 2009b), which was thus assumed in the present model (see discussion). Using this fourstate conformational kinetics,  $G_{\text{brain}}$  as function of  $G_{\text{plasma}}$  and time (t) is then given by

$$\frac{dG_{brain}(t)}{dt} = \frac{T_{max}\bigg(G_{plasma}(t) - \frac{G_{brain}(t)}{V_d}\bigg)}{K_t + \frac{G_{brain}(t)}{V_d} + G_{plasma}(t)\bigg(1 + \frac{G_{brain}(t)}{V_dK_{ii}}\bigg)} - CMR_{glc} \quad (2)$$

where  $G_{\text{brain}}$  and  $G_{\text{plasma}}$  are the concentrations of glucose in brain (in  $\mu$ mol/g) and in plasma (in mM),  $T_{\rm max}$  denotes the apparent maximal transport rate across the BBB ( $\mu$ mol/g/min),  $K_t$  and  $K_{ii}$ denote the apparent Michaelis and iso-inhibition constants (in mM),  $V_{\rm d}$  is the volume of the physical distribution space of glucose in the brain (0.77 mL/g) (Lund-Andersen 1979).

From eqn 2 it is apparent that if  $K_{ii}$  largely exceeds  $G_{brain}$ , the model approximates the kinetics of a reversible MM model, which is equivalent to the four-state conformational model with fast exchange rates between unloaded carrier conformations (Duarte et al. 2009b).

#### Determination of kinetic parameters

The contribution of  $G_{\text{plasma}}$  to the measured  $G_{\text{brain}}$  was subtracted assuming a blood volume in the brain of 35 µL/g (Shockley and LaManna 1988). The kinetic parameters were estimated for both four-state conformational model and reversible model of glucose transport (assuming  $K_{ii} >> G_{brain}$ , i.e.  $G_{brain}/K_{ii} = 0$ ). CMR<sub>glc</sub> was considered to be constant in the range of glucose concentrations analysed. However, as brain glucose levels varied through the experimental protocol, for the sake of comparison, glucose consumption was also analysed with an irreversible MM kinetics for glucose phosphorylation by hexokinase (ATP:D-hexose 6phosphotransferase, EC 2.7.1.1). In this case, hexokinase was considered to have irreversible MM kinetics and fits to the data were performed with free  $V_{\rm max}^{\rm HK}$  but  $K_{\rm M}^{\rm HK}$  constrained to 50  $\mu M$  (Weil-Malherbe and Bone 1951; Grossbard and Schimke 1966; Schimke and Grossbard 1968; Buschiazzo et al. 1970; Gjedde 1982; Sprengers et al. 1983). If not constrained,  $K_{\rm M}^{\rm HK}$  was poorly estimated with any of the tested models.

Each model was fitted to  $G_{
m brain}$  as function of  $G_{
m plasma}$  over the entire measured time courses using the Levenberg-Marquardt algorithm for non-linear regression, coupled to a Runge-Kutta method for non-stiff systems to obtain numerical solutions of the ordinary differential equations. Fit quality was assessed by Monte-Carlo analysis, in which gaussian noise with the same variance of fit residuals was added to the best fit and initial conditions were randomly generated within confidence interval of the obtained value. Typically, 1000 simulated datasets were created for each individual analysis. These Monte-Carlo simulations allowed estimating the standard deviation for each parameter in a single experiment. Significance of the fitted kinetic parameters was inferred from t-statistics. The F-statistics was used to compare the different models that have been fit to each data set. All numerical procedures were performed in Matlab (The MathWorks, Natick,

MA, USA). Data are shown as mean  $\pm$  SEM of n experiments unless otherwise indicated. Effect of anaesthesia on kinetic parameters was determined by ANOVA followed by Newman-Keuls multiple comparison tests and considered significant when p < 0.05.

# Results

Reliable quantification of glucose was achieved with a time resolution of 3 min from <sup>1</sup>H NMR spectra acquired in vivo from a volume of 120 µL located in cortical and hippocampal areas (Fig. 2). However, to ensure enough signal to noise ratio for glucose quantification at euglycaemia, time resolution of 5 min was preferred as it resulted in CRLB of glucose consistently bellow 15%. In particular, from all analysed data-sets, CRLB for glucose were 11-13% at euglycaemia and decreased to 3% upon glucose infusion.  $G_{\text{brain}}$  increased at a rate reflecting both glucose transport across the BBB and continuous glucose consumption

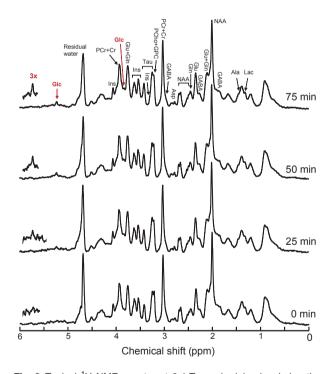


Fig. 2 Typical <sup>1</sup>H NMR spectra at 9.4 T acquired in vivo during the time course of glucose infusion. These example spectra were acquired during 3 min after 0, 25, 50 and 75 min of 'step-function' glucose infusion. Several metabolites are identified in the spectrum, including discernible resonances of glucose (red label). The expansion on the right of each spectrum is the respective peak of glucose at 5.22 ppm. Metabolites in the spectra are assigned as follows: glucose (Glc), creatine (Cr), phosphocreatine (PCr), myo-inositol (Ins), taurine (Tau), N-acetylaspartate (NAA), aspartate (Asp), glutamate (Glu), glutamine (Gln), γ-aminobutyrate (GABA), alanine (Ala), lactate (Lac), glycerophosphorylcholine (GPC) phosphorylcholine (PCho), N-acetylaspartylglutamate (NAAG).

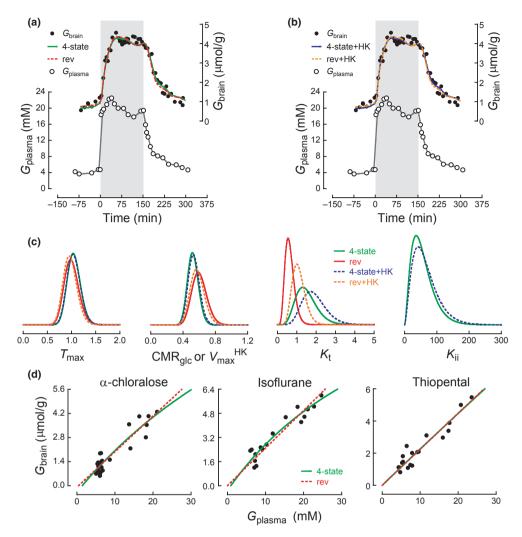


Fig. 3 Panels (a) and (b) show the best fit of the conformational (green/blue) and reversible (red/orange) models to G<sub>brain</sub> with BBB as a single membrane in a representative data set (one rat), under α-chloralose anaesthesia. Panel (a) shows the fit when constant glucose consumption is assumed. In panel (b), hexokinase was modelled with a standard MM kinetics.  $G_{plasma}$  was interpolated for the time scale of G<sub>brain</sub> (gray line). In general, F-statistics indicated good fit (large f-values) and all determined parameters were significant, as evaluated with a t-statistics. In this particular case,  $t(T_{max})=36.2$ ,  $t(K_t)=9.40$ ,  $t(CMR_{qlc})=35.4$  with  $R^2=0.966$  and f=557 for the reversible MM model;  $t(T_{\text{max}})=36.7$ ,  $t(K_{\text{t}})=12.2$ ,  $t(K_{\text{ii}})=12.8$ ,  $t(CMR_{clc})=40.0$  with  $R^2=0.969$  and f=450 for the conformational model. When assuming that hexokinase behaves as a MM enzyme (with  $K_M^{\ HK} = 50 \mu M$ ) instead of considering constant CMR<sub>alc</sub>, for this particular experiment,  $t(T_{max})=47.9$ ,  $t(K_t)=8.76$ ,  $t(V_{max}^{HK})=45.9$  with  $R^2 = 0.966$  and f = 555 for the reversible MM model;  $t(T_{max}) = 29.2$ ,  $t(K_t)=8.04$ ,  $t(K_{ii})=6.70$ ,  $t(V_{max}^{HK})=45.2$  with  $R^2=0.969$  and f=453 for the conformational model. Therefore, one can infer that, although fit

adequacy is good with any of the models, metabolic rates are more significant than apparent affinity and iso-inhibition constants. Panel (c) shows probability density functions determined from Monte-Carlo simulations. The graphs include the density function for the conformational and reversible model assuming a single membrane at the BBB. While rate constants approximated a Gaussian distribution, the distribution for affinity and iso-inhibition constants was rather described with gamma functions that approximated an exponential for the reversible model. Panel (d) depicts a steady-state analysis of the present data from rats under  $\alpha$ -chloralose (n = 7), isoflurane (n = 5) and deep thiopental (n = 5) anaesthesia. As all the experiments here performed had generally three stead-state periods, consisting of baseline, hyperglycaemia and baseline after glycaemia decay, steadystate  $G_{\text{brain}}$  measurements in function of  $G_{\text{plasma}}$  were used for steadystate analysis as previously described (Duarte et al. 2009b). Best fit of the reversible and four-state conformational models is depicted by the red and green lines, respectively. Results from steady-state analysis are shown in Table 3.

(Fig. 3a and b). Similarly, when glucose in the plasma dropped to normoglycaemia, that is, upon cessation of glucose infusion,  $G_{\text{brain}}$  decayed accordingly. The dynamics

of  $G_{\text{brain}}$  measured by <sup>1</sup>H NMR spectroscopy *in vivo* was thus used to determine rates of consumption and transport, as well as affinity and inhibition constants. The concentra-

Table 2 Kinetic parameters of glucose transport and consumption in the rat brain as determined in vivo by dynamic <sup>1</sup>H NMR spectroscopy under light  $\alpha$ -chloralose anaesthesia.  $T_{\rm max,}$  CMR<sub>glc</sub> and  $V_{\rm max}^{\rm HK}$  are given in  $\mu$ mol/g/min while  $K_t$  and  $K_{ii}$  and  $K_{\rm M}^{\rm HK}$  are in mM. Data are mean  $\pm$  SEM of seven experiments

Four-state conformational model	Constant CMR <sub>glc</sub>		With MM kinetics for hexokinase*	
	$T_{max}$	1.03 ± 0.18	$T_{max}$	1.02 ± 0.16
	$K_{t}$	$1.43 \pm 0.33$	$K_{t}$	1.80 ± 0.54
	$K_{ii}$	$50.3 \pm 16.0$	$K_{ii}$	58.6 ± 20.9
	CMR <sub>glc</sub>	$0.52 \pm 0.09$	$V_{max}^{HK}$	$0.53 \pm 0.09$
	$T_{\rm max}/{\rm CMR_{glc}}$	$2.03 \pm 0.21$	$T_{\rm max}/{\rm CMR_{glc}}^{**}$	$2.09 \pm 0.18$
Reversible model	$T_{max}$	0.99 ± 0.18	$T_{max}$	0.96 ± 0.18
	$K_{t}$	$0.64 \pm 0.27$	$K_{t}$	1.09 ± 0.48
	CMR <sub>glc</sub>	$0.59 \pm 0.11$	$V_{max}^{HK}$	0.57 ± 0.11
	T <sub>max</sub> /CMR <sub>glc</sub>	$1.68 \pm 0.08$	$T_{\rm max}/{\rm CMR_{glc}}^{**}$	1.77 ± 0.08

<sup>\*</sup> $K_M^{HK}$  was fixed at 50  $\mu$ M; \*\* $T_{max}/CMR_{glc}$  calculated for  $G_{brain} = 1 \mu mol/g$ .

Table 3 Kinetic parameters of glucose transport and consumption in the brain as determined in vivo by 1H NMR spectroscopy at steady-state under  $\alpha$ -chloralose (n = 7), isoflurane (n = 5) and thiopental (n = 5) anaesthesia. BBB was considered to behave as a single membrane.  $T_{max}$  $CMR_{alc}$  is dimensionless and both  $K_t$  and  $K_{ii}$  are in mM. Results of the best fit are shown with confidence intervals

		α-Chloralose	Isoflurane	Thiopental
Four-state conformational model	$T_{max}/CMR_{glc}$ $\mathcal{K}_{t}$ $\mathcal{K}_{ii}$	2.06 (0; 4.57) 1.49 (0; 10.45) 26.4 (0; 227.1) ( $R^2 = 0.859$ )	2.75 (0; 7.62) 1.54 (0; 17.67) 13.4 (0; 82.6) ( $R^2 = 0.860$ )	1.84 (0.70; 2.98) 0 347.0 (0; 6041.0) ( $R^2 = 0.899$ )
Reversible model	$T_{ m max}/{ m CMR}_{ m glc}$ $K_{ m t}$	1.73 (1.56; 1.91) 0.32 (0; 1.70) ( $R^2 = 0.907$ )	1.96 (1.71; 2.20) 0 ( $R^2 = 0.887$ )	1.82 (1.70; 1.94) 0.10 (0; 1.10) $(R^2 = 0.899)$

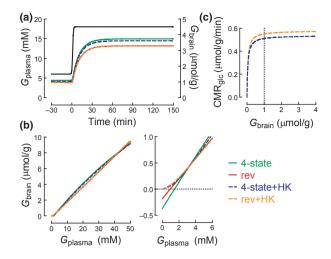
tions of other measured metabolites were not significantly altered upon glucose infusion.

The data resolution obtained from a single experiment led to significant fits for all of the models of glucose transport, as determined by f-statistics (Fig. 3a and b). Kinetic parameters are shown in Table 2 for the rat brain under α-chloralose anaesthesia. Both  $T_{\text{max}}$  and  $\text{CMR}_{\text{glc}}$  (or  $V_{\text{max}}^{\text{HK}}$ ) were consistently estimated with small calculated errors for both the reversible and four-state conformational models (Table 2), as depicted from high t values and a Gaussian probability density function (see example in Fig. 3). That was not the case for the apparent affinity and iso-inhibition constants that, in most cases, displayed a nearly exponential probability density function, suggesting that the glucose transport models were less efficient in constraining  $K_t$  and  $K_{ii}$ . In fact, t-statistics indicated that  $K_t$  was not significantly different from zero when using the reversible MM model (Fig. 3c). The concentration of glucose at half-maximal transport  $K_t$  was however better estimated with the four-state conformational than with the reversible model (Fig. 3). Under  $\alpha$ -chloralose anaesthesia,  $K_t$  was  $1.43 \pm 0.33$  mM. The iso-inibition constant  $K_{ii}$  was  $50.3 \pm 16.0$  mM, which was not significantly different from when hexokinase activity was modelled as an irreversible MM enzyme. As it was much

larger than brain glucose concentrations observed in this study,  $K_{ii}$  was less well estimated than the other parameters, and was associated with larger relative standard deviation.

In addition to the transient changes in brain glucose content, steady-state  $G_{\text{brain}}$  was available at hyper- and euglycaemia. Therefore, a steady-state analysis of glucose transport was performed as previously described (Duarte et al. 2009b). Fitted  $G_{\text{brain}}$  as function of  $G_{\text{plasma}}$  (Fig. 3d) resulted in  $T_{\text{max}}/\text{CMR}_{\text{glc}}$  similar to those determined with the current dynamic strategy (Table 3).

With the estimated kinetic parameters (Table 2), we simulated  $G_{\text{brain}}$  as function of  $G_{\text{plasma}}$  at either non-steadystate or steady-state (Fig. 4). From these simulations, we determined normal  $G_{\text{brain}}$  at euglycaemia (i.e.  $G_{\text{plasma}}$  of 5.5 mM), to be 0.9 µmol/g with any of the models employed, consistent with numerous NMR or microdialysis measurements in vivo (reviewed in Barros et al. 2007). To this G<sub>brain</sub> concentration adds the contribution of  $G_{\rm plasma}$  in a blood volume of 35  $\mu$ L/g of brain tissue, and thus the  $G_{\text{brain}}$ measured by <sup>1</sup>H NMR spectroscopy is 1.1 μmol/g, in agreement with 1.2  $\pm$  0.2  $\mu$ mol/g measured under  $\alpha$ -chloralose at 5.5  $\pm$  0.2 mM of  $G_{\text{plasma}}$  (n = 7). From the performed simulations, we also verified that CMR<sub>elc</sub> was unaltered at euglycaemia and above (Fig. 4c).



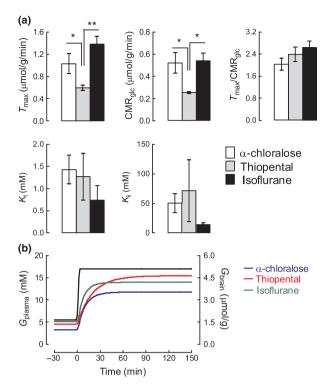
**Fig. 4** The estimated kinetic parameters (Table 2) were used to simulate  $G_{\text{brain}}$  for a given  $G_{\text{plasma}}$  function at non-steady-state (a) and steady-state (b). Black line represents plasma glucose function. Simulations were performed with the conformational and reversible models assuming either constant CMR<sub>glc</sub> (solid lines) or MM kinetics for hexokinase with  $K_{\text{M}}^{\text{HK}}$  fixed at 50 μM (dashed lines). In (b), the graph on the right is an expansion for plasma glucose bellow 6 mM. Panel (c) shows the resulting CMR<sub>glc</sub> as function of  $G_{\text{brain}}$ , validating the assumption of invariable CMR<sub>glc</sub> above 1 μmol/g of  $G_{\text{brain}}$ .

As cerebral glucose metabolism is dependent on neuronal activity, we tested the effect of deep thiopental anaesthesia in the estimated kinetic metabolic parameters. Sodium thiopental was administered at a dose able to induce iso-electricity in the rat brain. In comparison to  $\alpha$ -chloralose anaesthetized rats,  $T_{\text{max}}$  and CMR<sub>glc</sub> were reduced by 42 ± 10% (n = 5, p < 0.05) and 49 ± 4% (n = 5, p < 0.05), respectively, while  $K_{\rm t}$  and  $K_{\rm ii}$  were not significantly different under both anaesthesia conditions (Fig. 5a).  $T_{\text{max}}$  and  $K_{\text{ii}}$  tended to be respectively higher and lower under isoflurane anaesthesia than under  $\alpha$ -chloralose, although not significantly different. This was confirmed by higher glucose levels under isoflurane anaesthesia compared with α-chloralose at steady-state (Fig. 3d). Figure 5b show simulations of  $G_{\text{brain}}$  dynamics for a given  $G_{\text{plasma}}$  using the kinetic parameters obtained for each anaesthesia protocol. In particular, deep thiopental anaesthesia caused a larger depression in CMR<sub>glc</sub> upon than in  $T_{\text{max}}$  and thus led to glucose accumulation in the brain.

# Discussion

#### Cerebral glucose transport and metabolism

The metabolic rate of the brain is closely related to the glycolytic rate as glucose provides most cerebral energy supply (Siesjo 1978). There is abundant evidence that GLUT1 is the main glucose carrier at the BBB and that, under normal physiology, it is not limiting for the overall



**Fig. 5** Panel (a) shows the effect of isoflurane and deep thiopental anaesthesia on kinetic parameters of cerebral glucose transport and consumption, in comparison to light α-chloralose anaesthesia. Glucose kinetics was evaluated with the four-state conformational model.  $T_{\rm max}$  and CMR<sub>glc</sub> are given in μmol/g/min while  $K_{\rm t}$  and  $K_{\rm ii}$  are in mM. Data are mean ± SEM of 7, 5 and 5 rats for α-chloralose, thiopental and isoflurane anaesthesia, respectively. Data comparison was performed with one-way ANOVA followed by the Newman–Keuls multiple comparison test (\*p < 0.05, \*\*p < 0.01). Panel (b) depicts mathematical simulation of  $G_{\rm brain}$  levels as function of a given  $G_{\rm plasma}$  (black line) using the kinetic parameters determined for each of the anaesthesia types with the four-state conformational model.

brain glucose consumption rate (reviewed in Barros et al. 2007: Simpson et al. 2007). Glucose concentration in the brain is thus dependent on facilitated diffusion at the BBB and glucose phosphorylation by hexokinase. This study was designed to test the hypothesis that simultaneous measurement of glucose concentrations in plasma and brain upon modification of plasma glucose levels allow reliable estimation of kinetic parameters of cerebral glucose homeostasis, including the glucose metabolic rate. The present data shows that, by simultaneously measuring plasma and brain glucose concentrations,  $T_{\text{max}}$  and  $CMR_{glc}$  can be independently determined in vivo and in a non-invasive way. In addition, using the four-state conformational model of glucose transport, we simultaneously determined  $T_{\text{max}}$ ,  $K_{\text{t}}$ ,  $K_{\text{ii}}$  and CMR<sub>glc</sub>. Under α-chloralose anaesthesia, CMR<sub>glc</sub> of  $0.52 \pm 0.09 \, \mu mol/g/min$  was similar to determinations using [1,6-<sup>13</sup>C]glucose as tracer and detection by <sup>13</sup>C NMR spectroscopy in the whole brain (Duarte et al. 2011a) and

to measures by autoradiography in the cortex and hippocampus (Ueki et al. 1992; Nakao et al. 2001), which are areas encompassed in the current VOI. Note that a small portion of the spectroscopy volume is constituted by white mater of the corpus callosum that has smaller CMR<sub>olc</sub> than gray matter (e.g. Sokoloff et al. 1977; Archer et al. 1990). In fact, through the different regions of the brain, CMR<sub>olo</sub> values ranging from 0.54 to 1.97 µmol/g/min and from 0.33 to 0.40 µmol/g/min were respectively reported for the gray matter and for white matter of the conscious rat (Sokoloff et al. 1977). The ratio of  $T_{\text{max}}$  to CMR<sub>glc</sub> determined in the present study is in agreement with previous findings in the rat brain under α-chloralose anaesthesia (Duarte et al. 2009a,b, 2011a; Lei et al. 2010). The apparent affinity constant  $K_t$  was in the range of previous reports for steady-state experiments (Duarte et al. 2009b).  $K_{ii}$  was found to be much larger than  $G_{\mathrm{brain}}$  and in the same order of magnitude of that determined by steady-state models of glucose transport (Barros et al. 2007; Duarte et al. 2009b).

Like traditional steady-state models (e.g.Gruetter et al. 1998; Duarte et al. 2009a), the present dynamic model was designed with the assumption of symmetric glucose transport at the BBB. Transport asymmetry reflects different  $K_{\rm M}$  and  $V_{\rm max}$  for glucose uptake and release. However, the occurrence of nearly equal density of glucose asymmetric carriers on both sides of the BBB, that is, in luminal and abluminal membranes of the endothelium, presumably results in cancelation of the intrinsic asymmetry of individual carrier proteins (discussed in Barros et al. 2007; Simpson et al. 2007). Therefore, in previous studies, glucose diffusion at the BBB in vivo was found compatible with symmetric transport (Barros et al. 2007; Duarte et al. 2009b). Furthermore, a concentration gradient drives glucose transport from the plasma into the brain parenchyma and does not favour glucose release from the brain. The determined kinetic parameters are thus apparent constants that describe the global mechanism of net glucose transport.

Glucose accumulated in the brain upon glucose infusion, as consequence of the equilibrative nature of glucose transport across the BBB and a glycolytic flux operating close to its maximum rate, with CMR<sub>glc</sub> unaltered at euglycaemia and above (Fig. 4c). In line with this, when glucose infusion ceased, the decay in cerebral glucose concentration was delayed and strongly dependent on glucose consumption that starts with its phosphorylation by hexokinase. We further determined kinetic parameters of the hexokinase activity, assuming irreversible MM kinetics. Without fixing any constraint to the fitting, for example with the conformational model of glucose transport, the apparent  $K_{\rm M}$  of hexokinase was found to be  $0.11 \pm 0.04$  mM for brain glucose (data not shown). However, as this parameter was poorly estimated and not significantly different from zero with any of the models, fits to the data were performed with  $K_{\rm M}^{\rm HK}$  constrained to

50  $\mu$ M, in accordance to the  $K_{\rm M}$  of cytosolic hexokinase isolated from the rat brain ranging from 40 to 67 µM (Grossbard and Schimke 1966; Schimke and Grossbard 1968; Sprengers et al. 1983).  $K_{\rm M}^{\rm HK}$  was also determined to be 50 μM in rat brain extracts (Weil-Malherbe and Bone 1951), and to range between 30 to 40 µM when indirectly calculated from experiments with radio-labelled glucose analogs (Buschiazzo et al. 1970; Gjedde 1982). With  $K_{\rm M}^{\rm HK}$  set to 50  $\mu {\rm M}$ for glucose, under  $\alpha$ -chloralose anaesthesia, apparent  $V_{\rm max}^{\rm HK}$ was  $0.53 \pm 0.09 \, \mu \text{mol/g/min}$  when determined with the fourstate conformational model. This observation confirms that, in the conditions of the present study, brain hexokinase operates close to its maximum rate:  $CMR_{glc}$  was  $0.52 \pm 0.09 \mu mol/g/$ min. In line with this, we estimated from the present results that normal glucose concentrations in the brain are close to 1  $\mu$ mol/g (much larger than  $K_{\rm M}^{\rm HK}$ ) at euglycaemia, in accordance to previous NMR or microdialysis measurements (reviewed in Barros et al. 2007). This concentration of glucose, which is mainly dependent on transport and consumption rates, is similar in both brain interstice and cytosol of brain cells, as suggested by comparison of diffusion properties of brain glucose and exclusively intracellular brain metabolites (Pfeuffer et al. 2000). However, <sup>1</sup>H NMR spectroscopy does not allow distinguishing the compartments where glucose is utilised. Nevertheless, the results by Pfeuffer et al. (2000) are in accordance with a fast and non-limiting transport across neuronal and glial cell membranes, where GLUT1 concentration largely exceeds that of the luminal and abluminal membranes of the endothelium (discussed in Simpson et al. 2007).

#### Effects of anaesthesia on glucose homeostasis

The cerebral metabolic rate of glucose consumption is regionally and activity-dependent (e.g. Sokoloff et al. 1977; Ueki et al. 1992; Linde et al. 1999). CMR<sub>glc</sub> increases upon somatosensorial stimulation under α-chloralose anaesthesia (Ueki et al. 1992) and is reduced upon isoelectricity (Choi et al. 2002). Therefore, we further tested the capability of determining alterations of glucose uptake and consumption upon modulation of brain activity by anaesthesia conditions. In addition to α-chloralose anaesthesia, thiopental and isoflurane were tested.

In the present metabolic models of brain glucose homeostasis, kinetic constants are apparent values because modulation effects, such as activity regulation of carriers (e.g. known for ATP, reviewed in Carruthers 1986) and carrier translocation to the membrane, were not taken in account. Therefore, inhibitory or stimulatory effects on glucose diffusion through the BBB will be reflected by alterations in  $T_{\text{max}}$ ,  $K_{\text{t}}$  or  $K_{\text{ii}}$ , while modifications in glucose consumption will be depicted by modified value of  $\mathrm{CMR}_{\mathrm{glc}}$  or  $V_{\mathrm{max}}^{\mathrm{HK}}$ (with  $K_{\rm M}^{\rm HK}$  set constant).

Barbiturates are effective depressors of the CNS with actions primarily on the GABAA receptor, but may also

interact with glutamate receptors and voltage-gated ion channels. Along with reduction in synaptic activity, barbiturates are also known to depress energy metabolism. For example, they inhibit the oxidation of NADH in the respiratory chain (Aldridge and Parker 1960; Chance et al. 1963), inhibit glucose phosphorylation (Bielicki and Krieglstein 1976) and thus reduce CMR<sub>glc</sub> (Strang and Bachelard 1973; Sokoloff et al. 1977; Choi et al. 2002), and inhibit the capability of GLUT1 to transport glucose (Honkanen et al. 1995; Haspel et al. 1999; Stephenson et al. 2000). In accordance, our results showed a depression of both glucose transport at the BBB and glucose consumption in vivo, as indicated by reduced  $T_{\text{max}}$  and CMR<sub>glc</sub>, compared with light α-chloralose anaesthesia. Up to our knowledge, thiopental has not been widely employed in studies of brain glucose utilization, in contrast to pentobarbital. In a precedent study of glucose transport at steady-state (Lei et al. 2010), we determined that, relative to α-chloralose, deep thiopental anaesthesia induces a 47% increase in  $T_{\text{max}}$ CMR<sub>olc</sub>, which implies a larger reduction in glucose consumption than in transport, and leads to higher brain glucose content, as observed in the present study (Fig. 5). Sokoloff et al. (1977) observed a reduction in CMR<sub>olo</sub> under thiopental anaesthesia (at a lower dose than in the present study) compared with conscious rats, while a <sup>13</sup>C NMR spectroscopy study under deep pentobarbital anaesthesia reported CMR<sub>glc</sub> of 0.33-0.38 µmol/g/min for the whole rat brain (Choi et al. 2002). At a lower dose of pentobarbital, CMR<sub>glc</sub> was found to range from 0.42 to 0.57 µmol/g/min (Cunningham et al. 1986). Comparing directly different types of anaesthesia conditions, example Linde et al. (1999) found CMR<sub>glc</sub> to be 0.66 and 0.33 µmol/g/min in the conscious rat and under pentobarbital anaesthesia, respectively. In summary, the inhibition of glucose phosphorylation and concomitant reduction of CMR<sub>glc</sub> under deep thiopental anaesthesia, in comparison to light α-chloralose anaesthesia, unequivocally demonstrated the capability of detecting modulation of glucose metabolism with the present non-invasive strategy.

Brain glucose homeostasis is affected by halogenated ethers that are frequently used as anaesthetics, namely isoflurane (Noda *et al.* 2003) and enflurane (Myers and Shapiro 1979). Therefore, we finally assayed glucose transport and consumption kinetics under isoflurane anaesthesia and found similar kinetic parameters compared with  $\alpha$ -chloralose anaesthesia. However,  $T_{\rm max}$  had a tendency to higher values and  $K_{\rm ii}$  was generally lowered then when using  $\alpha$ -chloralose anaesthesia, resulting in higher brain glucose levels at steady-state (see Fig. 3d), which is a recurrent observation in many <sup>1</sup>H NMR spectroscopy studies *in vivo* under isoflurane at euglycaemia (e.g. Mlynárik *et al.* 2006, 2008; Kulak *et al.* 2010; Duarte *et al.* 2011b).

#### Conclusion

From the present results, we conclude that a four-state conformational model allows reliable determination of kinetics of both glucose uptake and consumption upon dynamic simultaneous measurement of plasma and brain glucose concentration changes. This method can therefore be an alternative to other non-invasive standard methods to determine glucose uptake and consumption that mostly relied on the utilization of isotope-enriched glucose or glucose analogs.

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